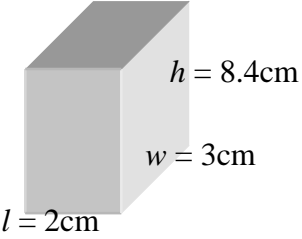
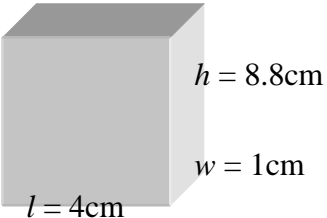

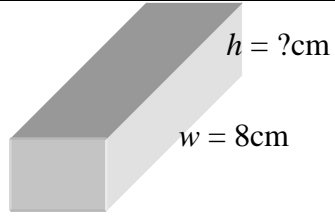

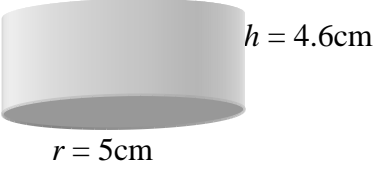
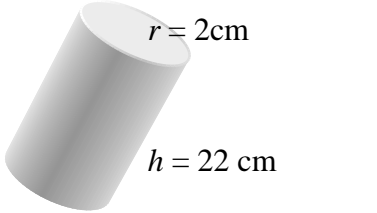
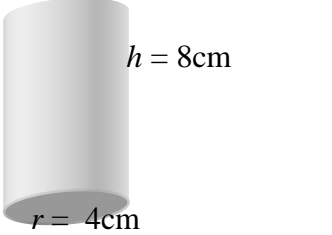
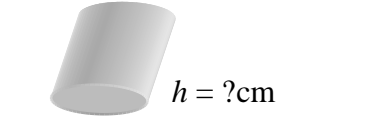


Maximum Volume for a Given Surface Area

RECTANGULAR PRISM	SURFACE AREA	VOLUME
 <p>$h = 8.4\text{cm}$ $w = 3\text{cm}$ $l = 2\text{cm}$</p>		
 <p>$h = 8.8\text{cm}$ $w = 1\text{cm}$ $l = 4\text{cm}$</p>		
 <p>$h = 4.5\text{cm}$ $w = 2\text{cm}$ $l = 6\text{cm}$</p>		
 <p>$h = ?\text{cm}$ $w = 8\text{cm}$ $l = 2\text{cm}$</p>	<p>Make the surface equal to the other rectangular prisms</p>	
	<p>What if the rectangular prism is a cube?</p>	

CYLINDER	SURFACE AREA	VOLUME
 <p>$r = 5\text{cm}$ $h = 4.6\text{cm}$</p>		
 <p>$r = 2\text{cm}$ $h = 22\text{ cm}$</p>		
 <p>$r = 4\text{cm}$ $h = 8\text{cm}$</p>		
 <p>$r = 3\text{cm}$ $h = ?\text{cm}$</p>	<p>Make the surface equal to the other cylinders</p>	

SUMMARY

The **rectangular prism** with the **maximum volume** for a given **surface area** is a _____.

Surface Area =

Volume =

The **cylinder** with the **maximum volume** for a given **surface area** has a _____ equal to its _____.

Surface Area =

Volume =

Example: The student council sells popcorn in square-based prisms and cylinders. Both packages are made from 600.0 cm^2 of card stock. Meredith wants to ensure it is priced fairly. How can Meredith determine the **maximum volume** of each package?

Homework

- 1) Determine, to one decimal place, the dimensions of the rectangular square-based prism that would have the greatest volume for each surface area.
 - a. 210 cm^2
 - b. 490 cm^2
- 2) What is the greatest volume for an open-topped rectangular prism with a surface area of 101.25 cm^2 ?
- 3) What is the greatest volume that a can of vegetable soup with each of the following surface areas can hold ($1 \text{ mL} = 1 \text{ cm}^3$)?
 - a. 245 cm^2
 - b. 500 cm^2
- 4) What is the maximum volume for a cylinder container which has no top if the surface area available for packaging is 360 cm^2 ?